

$\pi @ \left(\frac{14}{23} \right)$

PT 14H	D	$0^{\circ} 00' 10''$	$06''$
	R	$180^{\circ} 00' 02''$	
PT 23F	D	$91^{\circ} 34' 44''$	$41.5''$
	R	$271^{\circ} 34' 39''$	
		$m = 91^{\circ} 34' 35.5''$	
PT 14H	D	$90^{\circ} 05' 41''$	36.5
	R	$270^{\circ} 05' 32''$	
PT 23F	D	$181^{\circ} 40' 21''$	$15''$
	R	$1^{\circ} 40' 09''$	
		$m = 91^{\circ} 34' 38.5''$	
		$FINAL = 91^{\circ} 34' 37''$	

PT 23F	D	$0^{\circ} 00' 10''$	$08''$
	R	$180^{\circ} 00' 06''$	
$\frac{15}{14}$	D	$88^{\circ} 24' 14''$	$10.5''$
$\frac{22}{23}$	R	$268^{\circ} 24' 07''$	
		$m = 88^{\circ} 24' 02.5''$	
PT 23F	D	$90^{\circ} 05' 39''$	$34''$
	R	$270^{\circ} 05' 29''$	
$\frac{15}{14}$	D	$178^{\circ} 29' 40''$	$39''$
$\frac{22}{23}$	R	$358^{\circ} 29' 38''$	
		$m = 88^{\circ} 24' 05''$	
		$FINAL = 88^{\circ} 24' 03.8''$	

DIST TO PT 23F = 658.98'

4/2/84 WILLIFORD / BUTTARS

$\pi @ \frac{22}{23}$
 $\frac{22}{27}$

DIST TO $\left(\frac{23}{26} \right) = 2637.67'$

DIST TO PT 23G = 1268.48'

DIST TO $\left(\frac{22}{27} \right) = 2646.94'$